

Dispersion relationships for moderately deep gratings in distributed Bragg reflector lasers

Nai-Hsiang Sun, Zhi-Ming Lin

Department of Electrical Engineering

I-Shou University, Kaohsiung, Taiwan

E-mail: snh@isu.edu.tw

Jerome K. Butler, and Gary A. Evans

Department of Electrical Engineering

Southern Methodist University, Dallas, U.S.A.

E-mail: jkb@smu.edu



Outline

- Introduction
- Numerical methods
- Results
- Conclusion



Introduction

- Gratings are very important structure in DFB and DBR Lasers.
- The grating depth is an important parameter for properties of gratings.
- Grating depths:
 - Shallow gratings : $h < 0.1 \mu\text{m}$
 - Moderate gratings : $0.1 \sim 0.5 \mu\text{m}$
 - Very deep gratings : $1.0 \sim 3.0 \mu\text{m}$

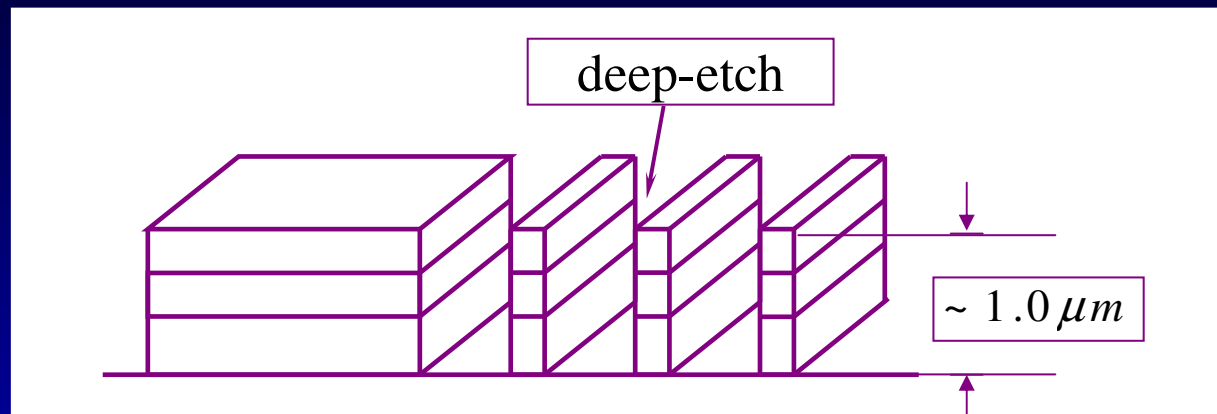


Shallow gratings

- Shallow gratings : typical grating depths
- Grating depths : $h < 0.1 \mu\text{m}$
- Very long grating lengths ($>500 \mu\text{m}$)
- Narrow spectrum ($\sim 1 \text{ \AA}$)



Schematic diagram of very deep gratings

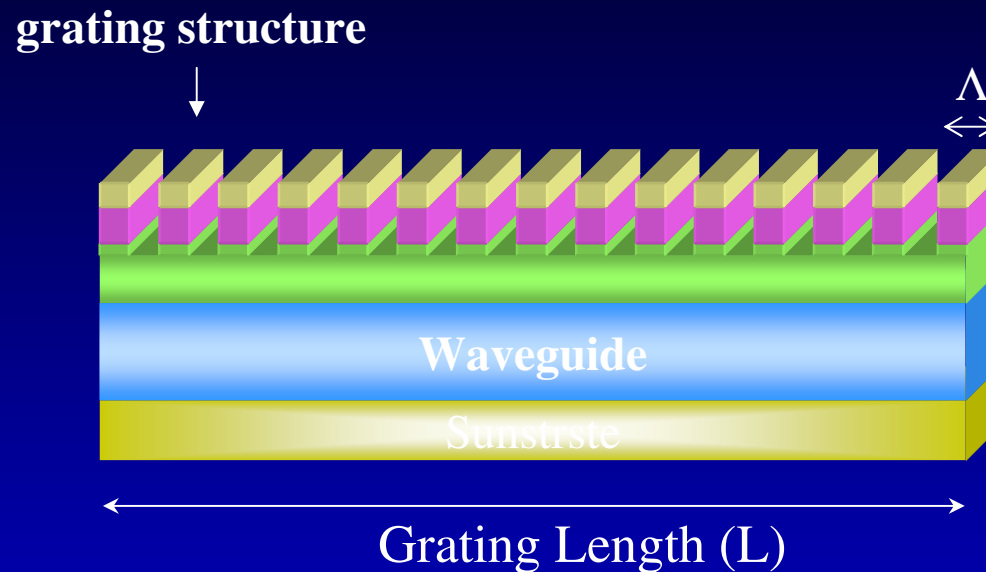


- Grating depth $\cong 1 \sim 3 \mu m$
- Etch completely through active layers.
- Very high reflectivities ($>90\%$)
- Very short grating length ($5 \sim 10 \mu m$)
- Very wide the reflectivity spectrum ($50 \sim 100 \text{ \AA}$)

(R. Jambunathan and J. Singh, *IEEE J.Q.E.*, vol. 33, pp. 1180–1189, July 1997.)

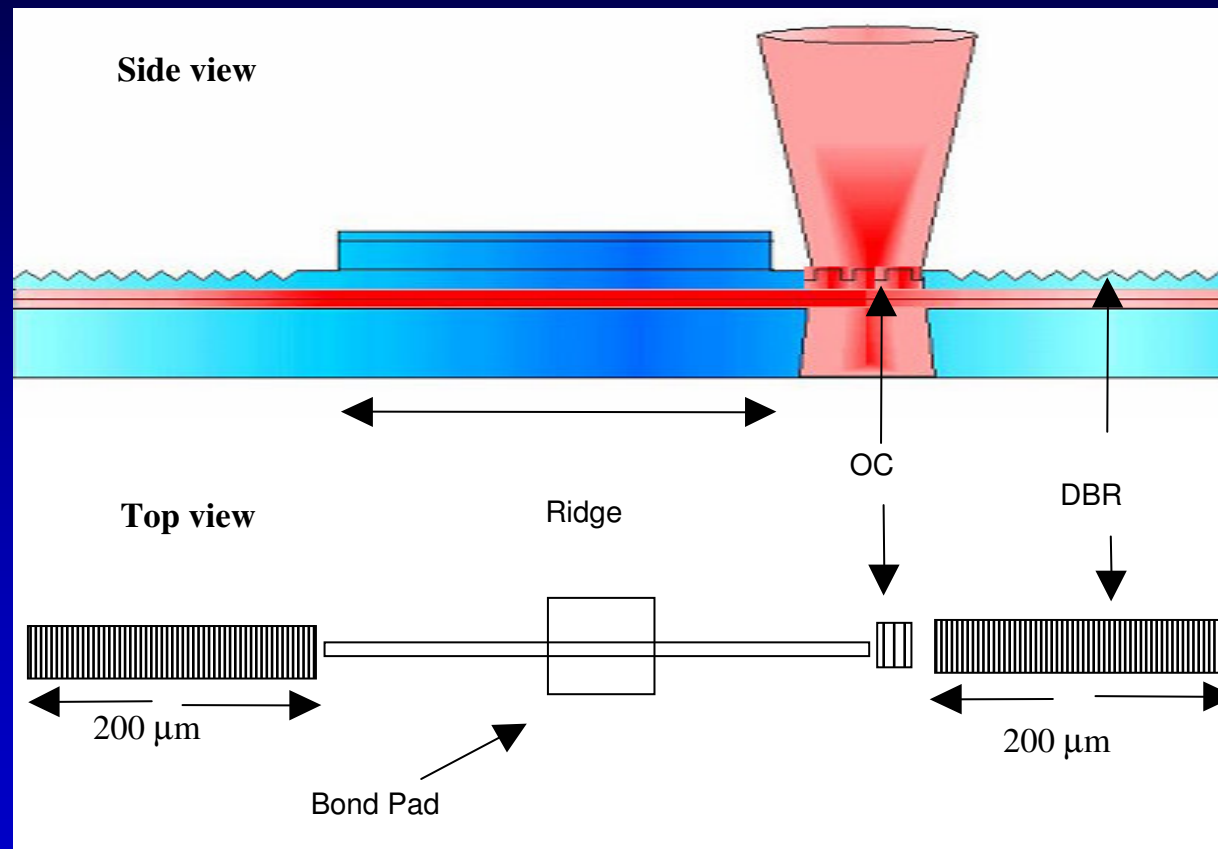


Moderate gratings



- Etch through the cladding layer.
- Moderate gratings : $0.1 \sim 0.5 \mu\text{m}$

Grating-outcoupled surface-emitting lasers



(Taha Massood etc., *IEEE PTL*, vol. 16, pp. 726–728, March 2004.)



Numerical Methods

- Coupled Mode Theory (CMT)
simple, easy to calculate. Valid when grating depth $< 0.1\mu\text{m}$
- Finite-difference time domain (FDTD)
apply for very deep gratings, need a lot of computing time
- Floquet-Bloch Theory (FBT)
a complicated method, nearly rigorous solutions, apply to analyze moderate gratings.



Floquet-Bloch theory

$$F_i(x, z) = \sum_{n=-\infty}^{\infty} f_n^{(i)}(x) \cdot e^{(-jk_{zn}z)}$$

$$k_{zn} = \beta_n + j\alpha = (\beta + nK) + j\alpha, \quad K = \frac{2\pi}{\Lambda}$$

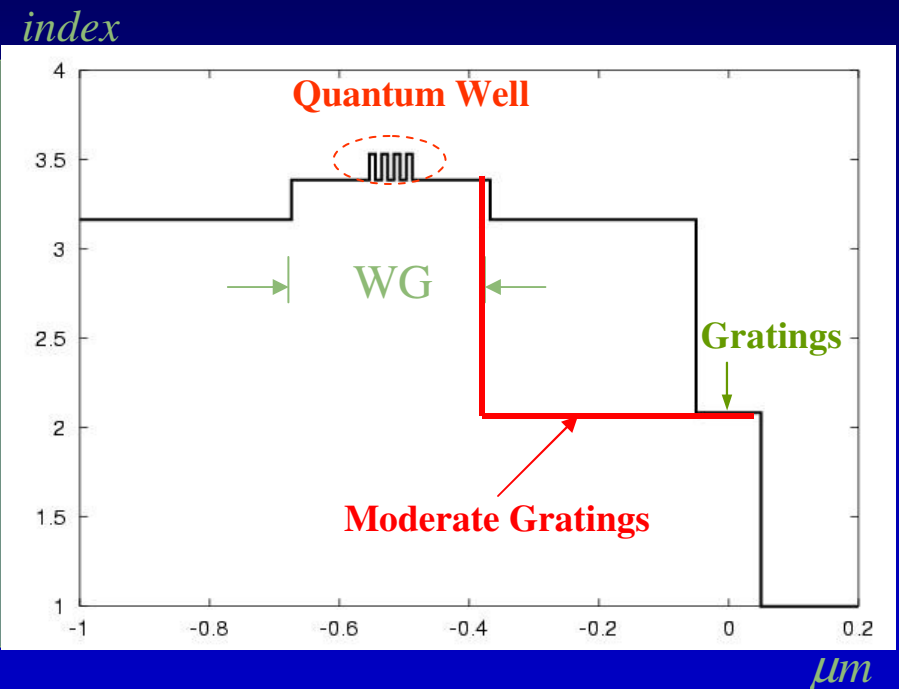
$F_i = E_{yi}$ for TE mode

$F_i = H_{yi}$ for TM mode



The index profile

	厚度 (μm)	等效折射率
Layer 1 (Air)	∞	1.000
Layer 2 (Grating)	0.100	1.000/3.165
Layer 3 (P-Spacer)	0.3175	3.165
Layer 4 (SCH Layer)	0.120	3.386
Layer 5 (Quantum Well)	0.009	3.532
Layer 6 (Barrier)	0.010	3.386
Layer 7 (Quantum Well)	0.009	3.532
Layer 8 (Barrier)	0.010	3.386
Layer 9 (Quantum Well)	0.009	3.532
Layer 10 (Barrier)	0.010	3.386
Layer 11 (Quantum Well)	0.009	3.532
Layer 12 (SCH Layer)	0.120	3.386
Layer 13 (Substrate Cladding)	1.000	3.165
Layer 14 (Substrate)	∞	3.165

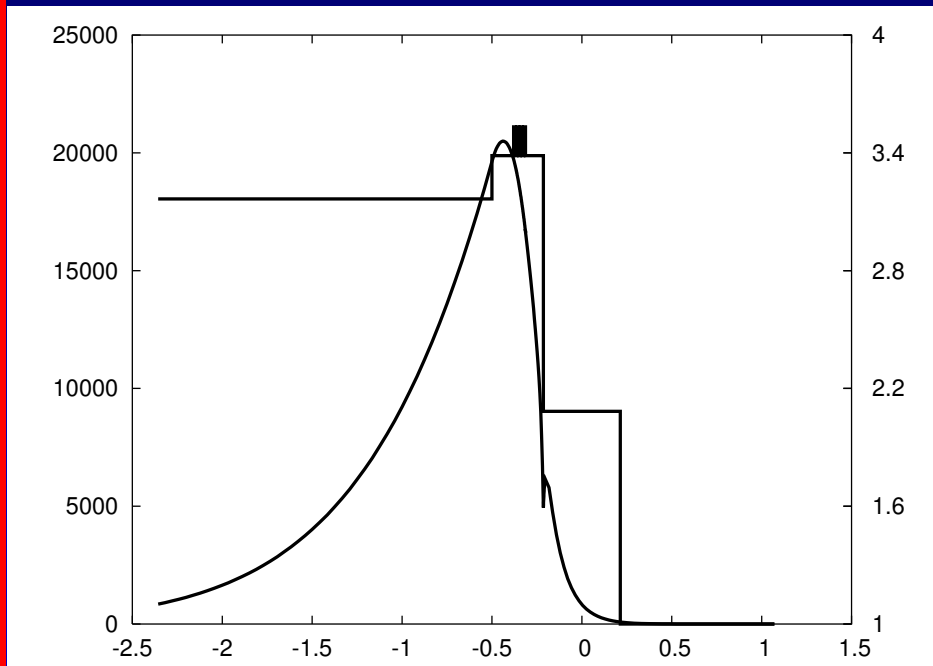


Jerome K. Butler, Nai-Hsiang Sun, Gary A. Evans, Lily pang, and Philip Congdon,
 "Grating-Assisted Coupling of Light Between Semiconductor and Glass Waveguides"



Deep-etched grating height ($h = 0.4275\mu\text{m}$)

- Runge-Kutta Method (space harmonics: $-8 \sim 3$ □ $-2 \sim 2$)
- Eigen-Value Technique (space harmonics: $-8 \sim 3$ □ $-6 \sim 3$)



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