

Empirical Software Engineering

CSE 8340 — Spring 2014

Prof. Jeff Tian, tian@lyle.smu.edu
CSE, SMU, Dallas, TX 75275
(214) 768-2861; Fax: (214) 768-3085
www.lyle.smu.edu/~tian/class/8340.14s

Module IIc: Other Risk Id Techniques

- PCA/DA and Application in Telecom
- NN and Applications
- OSR and Application in NASA/SEL

PCA & DA Study: Overview

- PCA: principal component analysis
 - ▷ idea of linear transformation
 - ▷ produce uncorrelated i.v.
 - ▷ reduce dimensionality
- DA: discriminant analysis
 - ▷ discriminant function
 - ▷ combine with other techniques
- Application: BNR/Nortel Telecom
- IEEE Software 1/1996 Paper by
Khoshgoftaar/Allen/Kalaichelvan/Goel

PCA & DA Study: Context/Design

- Goal/Motivation:
 - ▷ risk id as a classification problem
 - ▷ DA, TBM, NN, Pattern Recognition
 - ▷ technique used: DA in connection with PCA and logistic analysis

- Experimental context:
 - ▷ system profile: Table 1.
 - ▷ module classification:
 - new, changed, unchanged
 - effectively use logistic regression

- Experimental design:
 - ▷ observational (post-mortem analysis)
 - ▷ training: 2/3; testing 1/3; randomly

PCA & DA Study: Data

- d.v.: faults
 - ▷ between coding and operational phases
 - ▷ fault distribution: Table 2
 - ▷ risk: fault-prone or faults ≥ 5

- i.v.: design metrics
 - ▷ early quality prediction
 - ▷ modules consists of files
mean = 12, median = 4
 - ▷ design metrics defined on call graph and control flow graph
 - ▷ 9 specific metrics: Table 3

PCA & DA Study: Analysis

- Problem: classification into fault-prune and no-fault-prune via discriminant analysis

- Analysis procedure/techniques:
 - ▷ encode categorical variable
 - ▷ standardization
 - ▷ PCA to make model stable
 - ▷ model selection
 - ▷ discriminant analysis

- Encode categorical variable (covariates)
 - ▷ encoding: change (see earlier)
 - ▷ logistic regression idea

- standardization: transform data to make mean = 0, and std.dev. = 1.

PCA & DA Study: Analysis

- PCA: why?
 - ▷ correlated i.v.'s leads to unstable models
 - ▷ extreme case:
 - linearly dependent \Rightarrow singularity
 - ▷ linear transformation (PCA) \Rightarrow uncorrelated PCs (or domain metrics)

- PCA: how?
 - ▷ covariance matrix: Σ
 - ▷ solve $|\Sigma - \Lambda| = 0$ to obtain eigenvalues λ_j along the diagonal for the diagonal matrix Λ
 - ▷ λ_j 's in decreasing value
 - ▷ decomposition: $\Sigma = P^T \Lambda P$
 - ▷ P : matrix of eigenvectors (transformation used)

PCA & DA Study: Analysis

- Obtaining PCA results:
 - ▷ transformation: $D = ZT$, where
 - Z is the standardized metrics
 - T is the transformation matrix
 - ▷ Λ, P, T calculated by various statistical packages/tools

- PCA result interpretation:
 - ▷ eigenvalues \approx explained variance
 - ▷ first few domain metrics (PCs) explain most of the variance (typically 3 to 5)

PCA & DA Study: Analysis

- Using PCA results:
 - ▷ uncorrelated PCs
 - ⇒ good/stable linear models
 - ▷ only a few PCs are necessary
 - ▷ establish significance level

- Models selection:
 - ▷ choose domain metrics
 - ▷ also choose covariates
 - ▷ judge by the discriminant analysis model
 - ▷ algorithm in Khoshgoftaar paper

PCA & DA Study: Analysis

- Why DA: classification.

- DA: how?
 - ▷ define discriminant function
 - ▷ classify into G_1 and G_2
 - G_1 : not fault-prune
 - G_2 : fault-prune
 - ▷ definitions: (4) through (8)
 - ▷ other/similar definitions possible

- DA evaluation:
 - ▷ fit: misclassification rate
 - ▷ prediction: from training to test sets
 - ▷ misclassification types:
 - I: G_1 to G_2 false alarm
 - II: G_2 to G_1 missed fault-prune
 - prefer II to be lower than I

PCA & DA Study: Result

- PCA results: Table 4
 - ▷ only 3 PCs (domain metrics) needed
 - ▷ powerful tool to interpret data

- DA/PC model selection
 - ▷ *model*₁: PCs only, select all 3 PCs
 - ▷ *model*₂: all 3 PCs and 2 covariates

- DA results:
 - ▷ Tables 5, 6, 7, 8
 - ▷ DA fit: no significant differences
 - ▷ DA prediction: important differences
 - ▷ reuse an important factor

PCA & DA Study: Conclusions

- Positive results (Authors):
 - ▷ DA for risk identification (identifying fault-prone modules)
 - ▷ design metrics useful indicators
 - ▷ reuse information valuable
 - ▷ predictive quality more important

- Other observations (Tian):
 - ▷ much needed before DA
 - ▷ data treatment/transformation effect
 - ▷ much statistics knowledge
 - ▷ complexity and interpretation
 - ▷ type I vs II misclassification

NN Study: Overview

- NN ideas and algorithms:
 - ▷ single neuron: computation unit
 - ▷ connection: layered network
 - ▷ algorithm: backward propagation

- NN applications:
 - ▷ use in command and control communication system (CCCS)
 - ▷ use in medical imaging system (MIS)
 - ▷ comparison baseline: multiple regression applied to the above two systems

- 1995 Paper by Khoshgoftaar, Pandya, and Lanning, ASE

NN Study: Context/Design

- Experimental context:
 - ▷ CCCS: large military software, in Ada (not much information given)
 - ▷ MIS: commercial software
 - 4500 routines, 400 KLOC
 - in Pascal, Fortran, assembler, and PL/M
 - 5 development, 3 year deployment

- Experimental design:
 - ▷ observational (post-mortem analysis)
 - ▷ training: 2/3; testing 1/3; randomly

NN Study: Data

- CCCS data:
 - ▷ d.v.: faults from system integration and test, and first year of deployment
 - ▷ i.v.: 8 selected out of 14 (mostly D/C complexity and size)
 - ▷ 282 data points (2/3 vs 1/3)

- MIS data:
 - ▷ d.v.: changes due to faults discovered during system testing and maintenance.
 - ▷ i.v.: 11 similar metrics
 - ▷ 339 modules (less than 1/10) used (again, 2/3 training; 1/3 testing)

NN Study: Analysis

- NN ideas and organization:
 - ▷ neuron: basic computation unit
 - ▷ NN: multiple layers
 - ▷ each layer: multiple neurons
 - ▷ input from previous layer
 - ▷ output to next layer
- Computation at a neuron: 2 stages
 - ▷ weighted sum of input: $h = \sum_1^n x_i$
(may include constant)
 - ▷ then activation function $y = g(h)$
 - threshold, piecewise-linear,
 - Gaussian, sigmoid (below), etc.
 - in Khoshgoftaar: $y = \frac{1}{1 + e^{-h/T}}$
 - ▷ illustration in Tian or Khoshgoftaar

NN Study: Analysis

- Overall computation:
 - ▷ layers of neurons
 - ▷ input layer: raw data feed
 - ▷ other layers: computation at n neurons
 - ▷ objective: minimize prediction error at the output layer

- algorithm: backward propagation
 - ▷ Fig. 4 in Tian SQP 2000
(actually algorithm ideas, not exact)
 - ▷ trace through steps
 - ▷ error: deviance (sum of error sqr)
 - ▷ specific adjustments: Khoshgoftaar p.147
(learning and momentum rates: η , α)

NN Study: Result

- Model performance measure:

- ▷ ARE: average relative error

$$ARE = \frac{1}{N} \sum_{i=1}^N \left| \frac{e_i}{y_i} \right|$$

- ▷ y_i transformed by adding 1 to raw data
- ▷ discussion in Khoshgoftaar p.143
- ▷ other measure: rse (rel.std.err)

- NN model produced:

- ▷ input data scaled to [0, 1]
- ▷ initial weights: random in [-1, 1]
- ▷ learning/momentum: $\eta = 1.5$, $\alpha = 0.7$
- ▷ 1 hidden layer best, from 1, 2, 3 tried
- ▷ 16 neurons for CCCS and 18 for MIS

NN Study: Summary

- NN result summary:
 - ▷ Table 1
 - ▷ comparison to regression model
(RM details given in Tables 2 & 3)
 - ▷ NN is clearly superior

- Other comments (Tian):
 - ▷ good example of NN technique
 - ▷ not really focus on risk identification
(estimating # faults)
 - ▷ but in other work by authors
 - ▷ Khoshgoftaar/Szabo (ref. in Tian/SQP):
PCA & NN for risk id.

OSR Study: Overview

- OSR: optimal set reduction
 - ▷ pattern matching ideas
 - ▷ OSR technique: Briand et al., 1992 (OSR for effort estimation)
 - ▷ with application: 1993 Paper by Briand/Basili/Hetmanski, TSE 19(11)

- OSR applications:
 - ▷ NASA/SEL: fault risk
 - ▷ baseline for comparison:
 - classification trees
 - logistic analysis
 - (with or without PCA for LA)
 - ▷ demonstrate superiority

OSR Study: Context/Design

- Experimental context:
 - ▷ NASA/SEL software in Ada
 - ▷ 146 components and 260 KLOC

- Experimental design:
 - ▷ high risk: procedure/function with error
 - particularly, reading/writing to var/struct
 - ▷ otherwise, low risk
 - ▷ equal number of low and high risk components to build unbiased model
 - ▷ observational (post-mortem analysis)

OSR Study: Data

- Metrics data derived from hypotheses about the software design process

- Data categories (via hypotheses):
 - ▷ context coupling
 - ▷ parameterization
 - ▷ visibility control
 - ▷ reuse
 - ▷ component size
 - ▷ structural complexity

- Obtaining the data
 - ▷ ASAP static-analysis program
 - ▷ UNIX utilities and SAS program
 - ▷ 15 metrics listed in Appendix A

OSR Study: Analysis

- OSR ideas and organization:
 - ▷ pattern extraction
 - ▷ algorithm sketch: Fig.9 in Tian/SQP
 - ▷ detailed algorithm: Appendix B
 - ▷ other detailed throughout paper
 - ▷ organization/modeling results:
 - no longer a tree, see example
 - general subsets, may overlap

- Similarities to TBM
 - ▷ pattern \sim partition
 - ▷ entropy \sim deviance
 - ▷ reduction of the above

OSR Study: Result

- Model performance measure: accuracy
 - ▷ completeness:
 - % high risk modules identified
 - ▷ correctness:
 - % high risk modules correctly identified
 - ▷ performance comparison: Table 1

- OSR conclusions:
 - ▷ accuracy: better than alternatives
 - LA tedious & less interpretable
 - TBM simplistic
 - ▷ interpretable structure (similar to TBM)

- Comments: fair comparison?